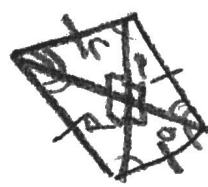
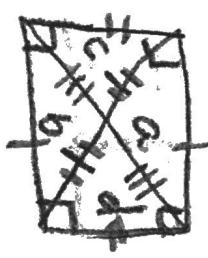


Parallelograms

Rectangle

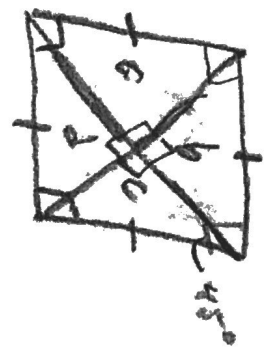
Rhombus



all right \angle 's

*Diag. are \cong

Square

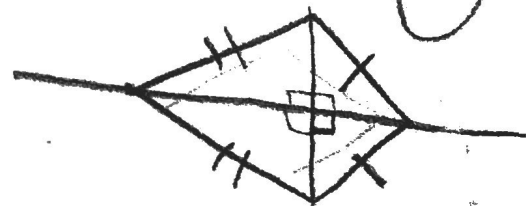


$\Delta A \cong \Delta B \cong \Delta C \cong \Delta D$

distance = $\sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$
 slope = $\frac{y_2 - y_1}{x_2 - x_1} = \frac{\text{rise}}{\text{run}}$

$a^2 + b^2 = c^2$
 * right \angle - to find missing side of a Δ

Kites

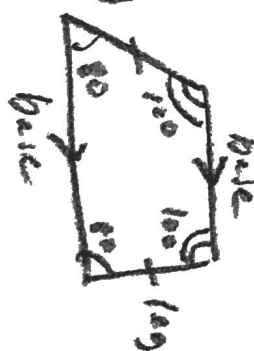


Quadrilaterals

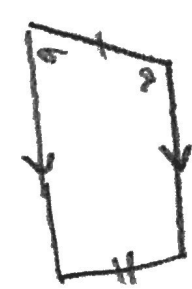
• 4 sided figure
 • \angle 's sum to 360

Trapezoids

Iso Trap



Non-Iso Traps



base \angle 's \cong
 opp \angle 's supplementary

midsegment = $\frac{a_1 + a_2}{2}$

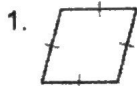
$\angle a + \angle b = 180^\circ$

LESSON
7-3

Practice A

Properties of Special Parallelograms

Match each figure with the letter of one of the vocabulary terms.
Use each term once.



- A. rectangle
- B. rhombus
- C. square

B

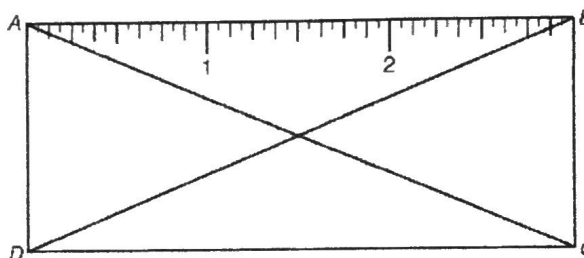
C

A

Fill in the blanks to complete each theorem.

4. If a parallelogram is a rhombus, then its diagonals are perpendicular.
5. If a parallelogram is a rectangle, then its diagonals are congruent.
6. If a quadrilateral is a rectangle, then it is a parallelogram.
7. If a parallelogram is a rhombus, then each diagonal bisects a pair of opposite angles.
8. If a quadrilateral is a rhombus, then it is a parallelogram.

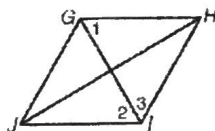
The part of a ruler shown is a rectangle with $AB = 3$ inches and $BD = 3\frac{1}{4}$ inches.



Find each length.

9. $DC =$ 3 in
10. $AC =$ 3 1/4 in.

Use the phrases and theorems from the Word Bank to complete this two-column proof.



Alternate Interior \angle Thm.
 $GHIJ$ is a parallelogram.
 Trans. Prop. of \cong
 $\angle 2 \cong \angle 3$

11. **Given:** $GHIJ$ is a rhombus.
Prove: $\angle 1 \cong \angle 3$

| Statements | Reasons |
|---|---|
| 1. $GHIJ$ is a rhombus. | 1. Given |
| 2. a. <u>$GHIJ$ is a parallelogram</u> | 2. rhomb. \rightarrow \square |
| 3. $\overline{GH} \parallel \overline{JI}$ | 3. $\square \rightarrow$ opp. sides \parallel |
| 4. $\angle 1 \cong \angle 2$ | 4. b. <u>Alt interior \angle's theorem</u> |
| 5. c. <u>$\angle 2 \cong \angle 3$</u> | 5. rhomb. \rightarrow each diag. bisects opp. \angle 's |
| 6. $\angle 1 \cong \angle 3$ | 6. d. <u>Trans prop of \cong</u> |